

In Solar Space Vortex enclosing the Sun, velocity field (motion of mass less fluid-space) falls inversely as the square root of the distance from the Sun's center. The planet Mercury is carried by the solar vortex at an orbital speed of 47.9 km /s. The mean distance of Mercury from the Sun's center is  $57.9 \times 10^6$  km. If  $V_m$  is the orbital velocity of Mercury:  $V_m = k / (57.9 \times 10^6 \text{ km})^{1/2}$ . From this,  $k = 11.52 \times 10^9 \text{ m}^{3/2} / \text{s}$ . If the radius of the Sun is  $R_s$ , and  $V_s$  is the maximum tangential velocity field (of space) at the Sun's surface in the equatorial plane, then  $V_s = k / (R_s)^{1/2}$ . Substituting the value of  $k$  and the solar radius  $6.9 \times 10^8 \text{ m}$ ,  $V_s = 436.7 \text{ km/s}$ .

The proof of the existence of the above velocity field lies in the following.

1. Recorded data on solar wind [<http://soho.nascom.nasa.gov/>; 48 hours of solar wind data on 10<sup>th</sup> July 2002] varied from about 380 km/s to a maximum of about 500 km/s, giving an average of 440 km/s.
2. Surface gravity of the sun is calculated as the “inward acceleration field in the solar space vortex at the Sun's surface;  $V_s^2 / R_s$ . Substituting the value of  $V_s$  derived above, and the Sun's radius, surface gravity of the Sun comes to  $274 \text{ m/s}^2$ , which comes to the same value as accepted to day.